

# Law And Economics

## Tort Law: Unilateral Care

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# Tort Law

- **Tort Law:** area of the law that is concerned with civil suits. *Mostly* related to accidental injuries.

## **Examples of accidental torts:**

- Some personal injuries.
  - Product Liability.
  - Workplace Accidents.
  - Medical Malpractice.
  - Environmental Accidents.
- Risk zero is, generally, not efficient! However, incentives to curb risks are important.

- **Examples of intentional torts:**
  - Battery (act of physical violence),
  - Assault,
  - Trespass (land, computer, car.)
  - Defamation,
  - Intentional Infliction of Emotional Distress (e.g. threats).
  
- Here we focus on *unintentional* torts.
  - Incentives to mitigate risks.
  - Model of precaution.

## Other ways to control risk

- Tools to mitigate risky behavior:
  - Safety & Hygiene regulations.
  - Criminal penalties.

**Tort law:** private remedy that gives the right of accident victims to sue injurers for damages.

Victim  $\sim$  Plaintiff      Injurer  $\sim$  Defendant

## Elements of Tort Claim

- Enforcement in hands of the victim.
- Burden of the proof? Plaintiff has to show that:
  - She sustained some damages.
  - Defendant was the *cause* of those damages.

- Self-driving technology example.
  - Self-driving cars are safer than regular cars.
  - However, they produce accidents that would not have happened otherwise.

“The Coming Collision Between Autonomous Vehicles and the Liability System” by Gary Marchant and Rachel Lindor.

# Causation

- Golf driving range next to a parking lot.
  - $x$  height of the safe net.
  - $y \sim F(x)$  height of the ball. (support in  $[0, 1]$ ).
  - $D$ : damage caused if  $y > x$  (deterministic).
  
- Who caused the damage? The golfer or the range owner that didn't put a taller net?

## Actions and outcomes

*But-for test:* but-for the action, would the outcome be different?

- Golf example: two actions combined cause the damage.
  - Both actions pass the but-for test.
- Other cases where two actions *independently* would have generated the damage.
  - Example: firing squad.
  - No single shooter passes the but-for test.
- For now, we consider a single injurer.



## Liability Rules

- How damages should be split between the injurer and the victim?
  - *No liability*: victim bears all damages.
  - *Strict liability*: injurer bears all damages, independently of the actions.
  - *Negligence rule*: Injurer is fully liable if he is found to be *at fault*.
  - *Contributory negligence*: Injurer is fully liable unless the victim is found to be *at fault*.
  
- What does it mean for the injurer or the victim to be *at fault*?

- **Costs of accidents:**
  - Damaged suffered by victims.
  - Cost of precautions by potential injurers.
  - Cost of precautions by potential victims.
  
- In this section we present a *unilateral* model of precaution:
  - only injurers can affect the probability of accident.

# The Unilateral Care Model

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# Model

- $x$ : investment in precaution by injurer.
- $a$ : accident in  $\{0,1\}$
- $p(x) := \Pr(a = 1|x)$ . Probability of accident.
- $D$ : dollar losses suffered by the victim. Conditional distribution  $F_x$ .
- Let  $D(x) = E_x[D|a = 1]$

**Assumption:**  $p(\cdot)$  and  $D(\cdot)$  are decreasing convex functions.

$$\min_{x \geq 0} E_x[x + D] = \min_{x \geq 0} x + p(x)D(x)$$

Solution  $x^*$ .

## Care choice by the injurer

- What level of care would the injurer choose?
  - Depends on the liability rule:  $\psi(x, D)$ .
- Implicit assumption:
  - level of care  $x$  is ex-post observable.
  - total damages are ex-post observable.

- Decision problem:

$$\min_{x \geq 0} E_x[x + \psi(x, D)]$$

- Any  $\psi$  such that  $x^* \in \arg \min_{x \geq 0} E_x[x + \psi(x, D)]$  recovers efficiency.
- What would Coase theorem say about this?

$$\psi(x, D) = 0$$

$$\min_{x \geq 0} x$$

- Efficiency is not achieved.

# Strict Liability

$$\psi(x, D) = D$$

$$\min_{x \geq 0} E_x[x + D]$$

- This achieves efficient care: injurer fully internalizes the costs.
- Advantages: low informational requirements.
- Disadvantages: limited liability  $\psi < \bar{\psi}$ .



## Strict (Expected) Liability

$$\psi(x, D) = a \cdot D(x)$$

$$\min_{x \geq 0} E_x[x + aD(x)] = \min_{x \geq 0} x + p(x)D(x)$$

- This achieves efficient care: injurer fully internalizes the costs.
- Limited liability constraint is more likely to be satisfied.
- How informational requirements compare to Strict Liability? More on this **later**.
- Disadvantages: sometimes  $\psi > D$ . More on this **later**.

# Negligence

$$\psi(x, D) = 1_{\{x < \bar{x}\}} \cdot D(x)$$

$$\min_{x \geq 0} E_x[x + a \cdot 1_{\{x < \bar{x}\}} \cdot D(x)] = \min_{x \geq 0} x + 1_{\{x < \bar{x}\}} p(x) D(x)$$

- Injurer would never choose  $x > \bar{x}$ .
- If he thinks he is going to be liable, then he chooses  $x^*$ .
- We have to compare  $\bar{x}$  with  $x^*$ .

$$\bar{x} \quad \text{vs} \quad x^* + p(x^*)D(x^*)$$

- Chooses  $\bar{x}$  iff  $\bar{x} \leq x^* + p(x^*)D(x^*)$ .
- Efficient to set  $\bar{x} = x^*$ .

## Comparing liability rules: Informational requirements

- Three rules that can achieve efficiency:
  - strict liability (SL).
  - strict expected liability (SEL).
  - negligence with parameter  $x^*$  ( $N^*$ ).
- To implement these rules, different information is required:

	$x$	$p(\cdot)$	$D$	$D(\cdot)$
SL	NO	NO	YES	NO
SEL	YES	NO	NO	YES
$N^*$	YES	YES	NO	YES

## Negligence with noisy observation of $x$

- Let  $\psi(\tilde{x}, D) = 1_{\{\tilde{x} < x^*\}} \cdot D(\tilde{x})$  with  $\tilde{x} = x + \epsilon$ .
- Let  $\epsilon$  be normal with an arbitrarily small variance.
- The injurer will not choose  $x^*$ .

$$x^* + a \cdot \Pr(\epsilon > 0) \cdot D(x^*)$$

- Then  $\bar{x}$  should be chosen higher than  $x^*$  to account for this.

## Comparing Liability Rules

- **Cost of trials:**
  - Higher informational requirements  $\Rightarrow$  costlier trials.
  - Negligence trials are the most expensive ones but they *don't occur in equilibrium*.
    - Reality might be noisy.
  - SL and SEL trials do occur.

## Comparing Liability Rules

- **How damages are split.**
  - With Strict Liability the injurer bears the equilibrium damages,
  - With Negligence the victim does it.

# Victim compensation

Why to compensate victims?

# Extensions to the Unilateral Care Model

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## Activity Levels

- Same model as before, with the difference that the injurer chooses also a quantity: how many times to do the same risky activity.

- $q$ : activity level.

$$\max_{x,q} B(q) - q[x + p(x) \cdot D(x)]$$

- We assume diminishing returns ( $B$  concave).
    - $q$  is not observable ex-post.

## Activity Levels

- Notice that the optimal level of care  $x^*$  is independent of  $q$ .
- Optimal activity level:  $B'(q) = x^* + p(x^*)D(x^*)$ .
- For the individual, the activity level will also depend on the liability rule.

$$\max_{x,q} E_x [B(q) - q(x + \psi(x, D))]$$

## No Liability and Strict Liability

- **No liability:** excessive activity level (and no precautions)

$$\max_{x,q} B(q) - q \cdot x$$

- **Strict liability:** efficient activity level and precautions)

$$\max_{x,q} B(q) - q[x + p(x)D(x)]$$

- The injurer internalizes all social costs.

# Negligence

- **Negligence** (with  $\bar{x} = x^*$ ): excessive activity level (but optimal precautions)

$$\max_{x,q} B(q) - q[x + \cdot 1_{\{x < x^*\}} \cdot p(x) \cdot D(x)]$$

- Given optimal precautions,

$$\max_q B(q) - q \cdot x^*$$

- One can show that it is always optimal for the injurer to choose  $x^*$ .

## Probability of Escaping Liability

Injurers might be able to escape liability for multiple reasons:

- Conceal their identity.
- Difficulty in proving specific cause of injuries.
- Costs of litigation (prevent victims from bringing suits)
- Limited liability.

Therefore, even with strict liability, injurers might take too little precautions.

# Exogenous Probability of Escaping Liability

- **Strict Liability:**

$$\min_x x + p(x) \cdot \alpha \cdot D$$

- $\hat{x} < x^*$ .
- Easy fix:  $\psi(x, D) = D/\alpha$ .
- This, however, generates problems because  $\psi > D$ .